

23RD INTERNATIONAL WORKSHOP
ON LASER RANGING (IWLR)

Oct.20~26, 2024
Kunming, China



WROCŁAW UNIVERSITY
OF ENVIRONMENTAL
AND LIFE SCIENCES

Contribution of LARES-2 to Space Geodesy

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Adrian Nowak, Radosław Zajdel, Dariusz Strugarek

Institute of Geodesy and Geoinformatics, UPWr

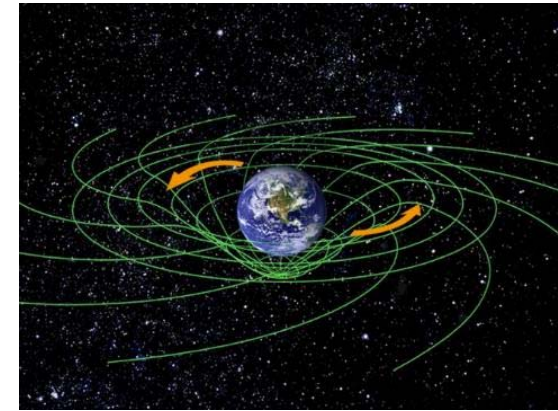
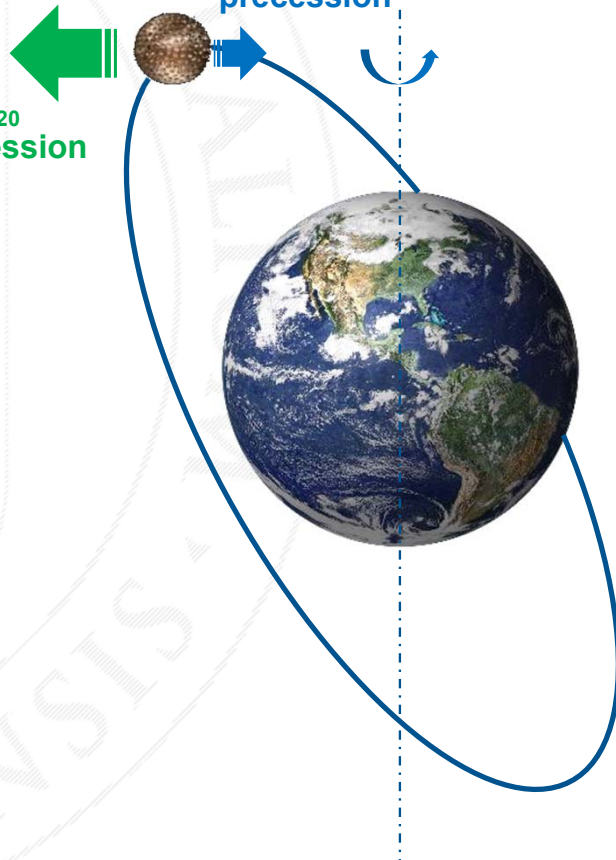
Lense-Thirring effect – confirmation using geodetic satellites

LAGEOS-1

$i=110^\circ$
1976

C_{20}
precession

Lense-Thirring
precession



Lense-Thirring

$$\Delta\Omega_{LT} = 2 \frac{GM_{\oplus} J_{\oplus}}{c^2 a^3 (1 - e^2)^{\frac{3}{2}}} \Delta t$$

$$\Delta\Omega_{C_{20}} = -\frac{3}{2} \sqrt{\frac{GM_{\oplus}}{r_{\oplus}^3}} \left(\frac{r_{\oplus}}{a}\right)^{\frac{7}{2}} \frac{\cos(i)}{(1 - e^2)^2} C_{2,0} \Delta t$$

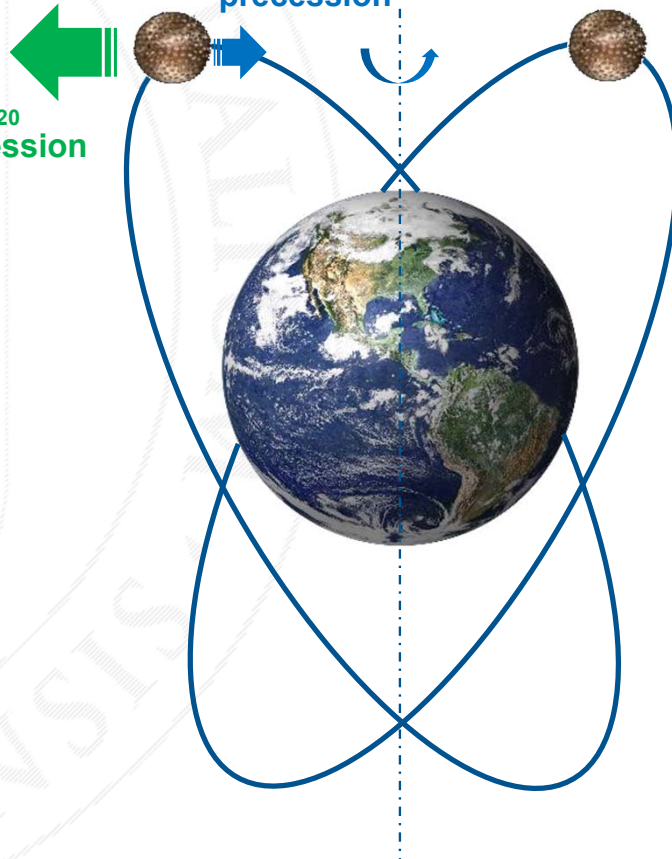
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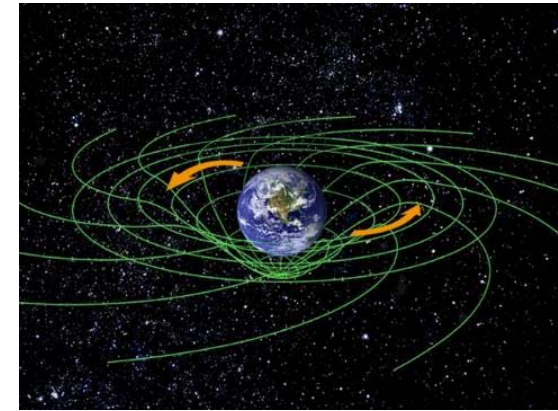
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LAGEOS-2

$i=70^\circ$



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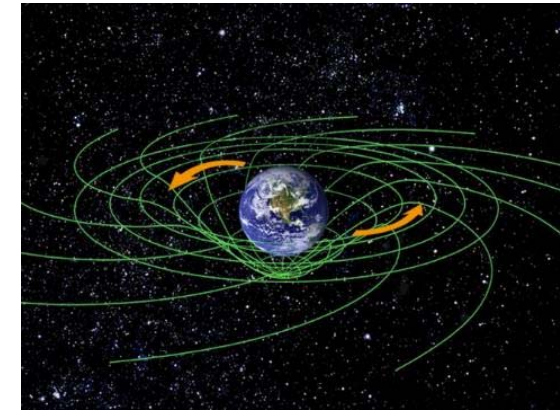
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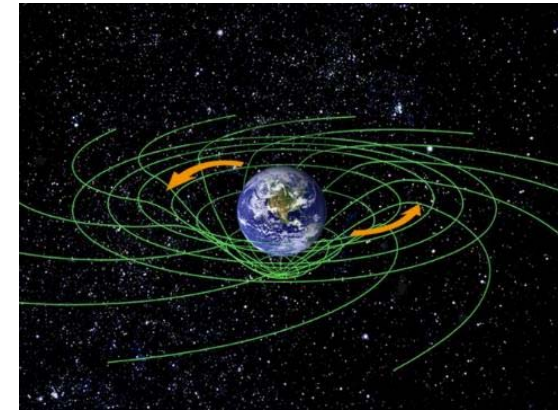
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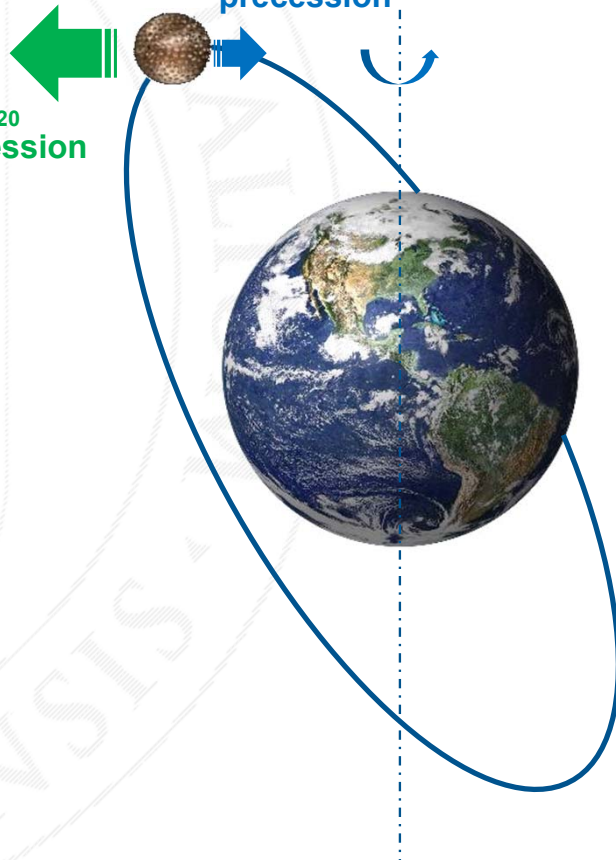
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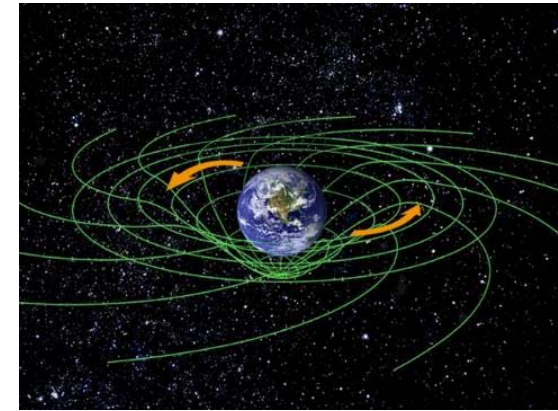
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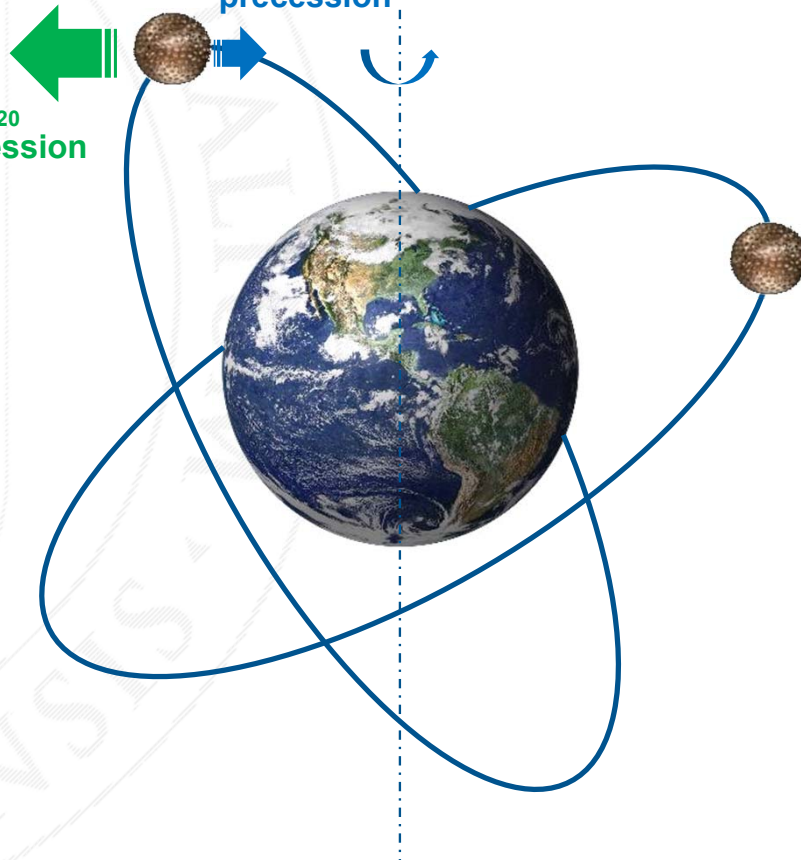
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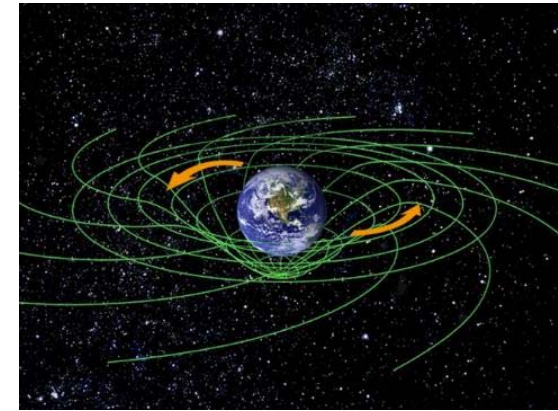
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LAGEOS-2

$i=70^\circ$
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Lense-Thirring

LAGEOS-2

$i=52.6^\circ$
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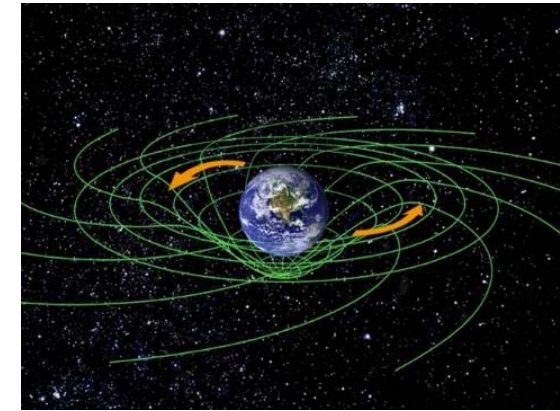
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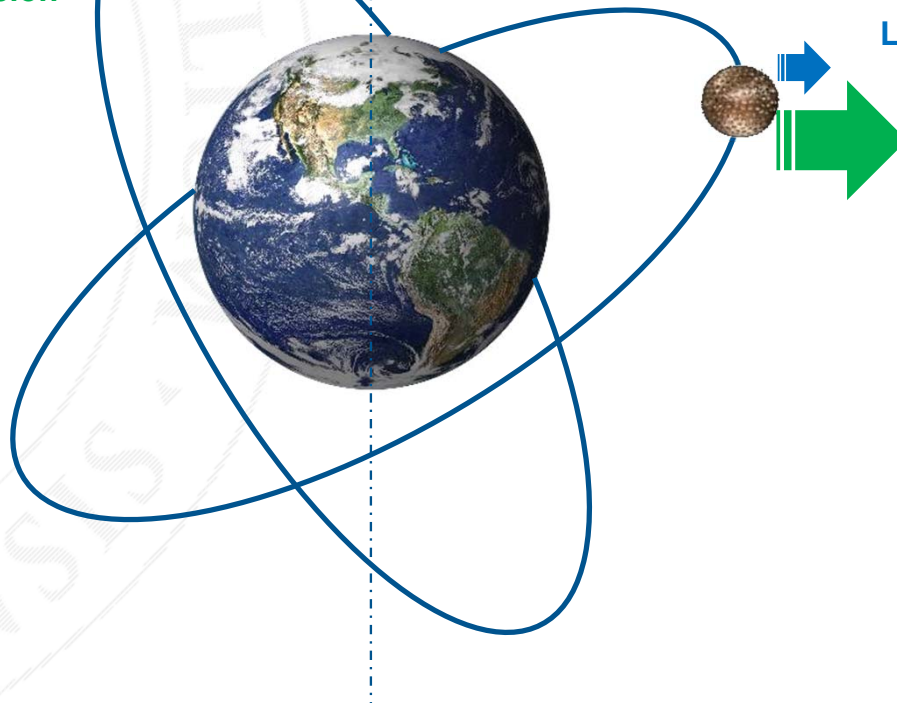
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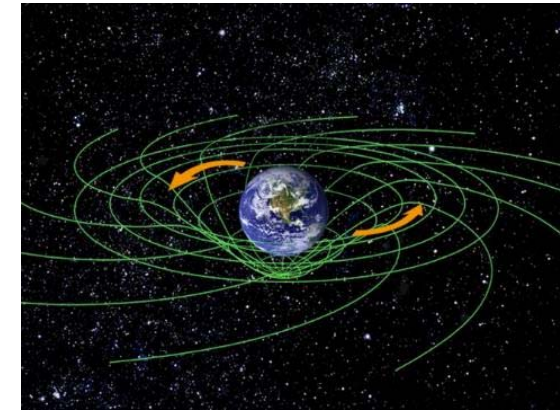
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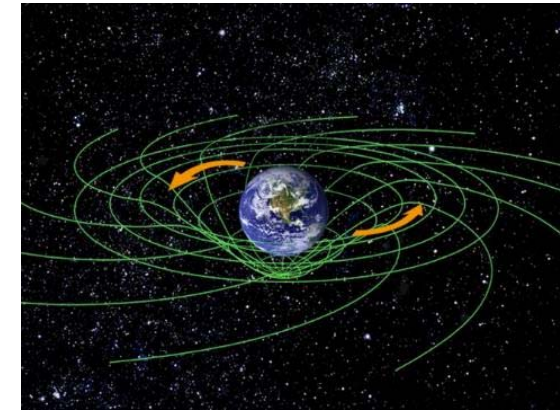
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LAGEOS-2

$i=52.6^\circ$
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LARES
 $i=69.5^\circ$
2012



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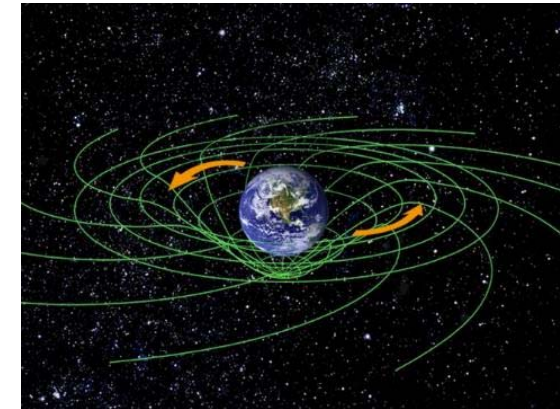
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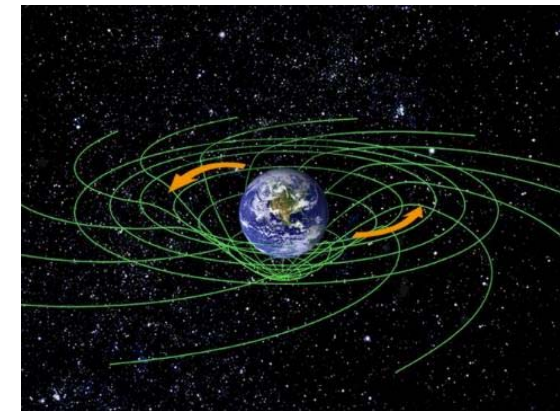
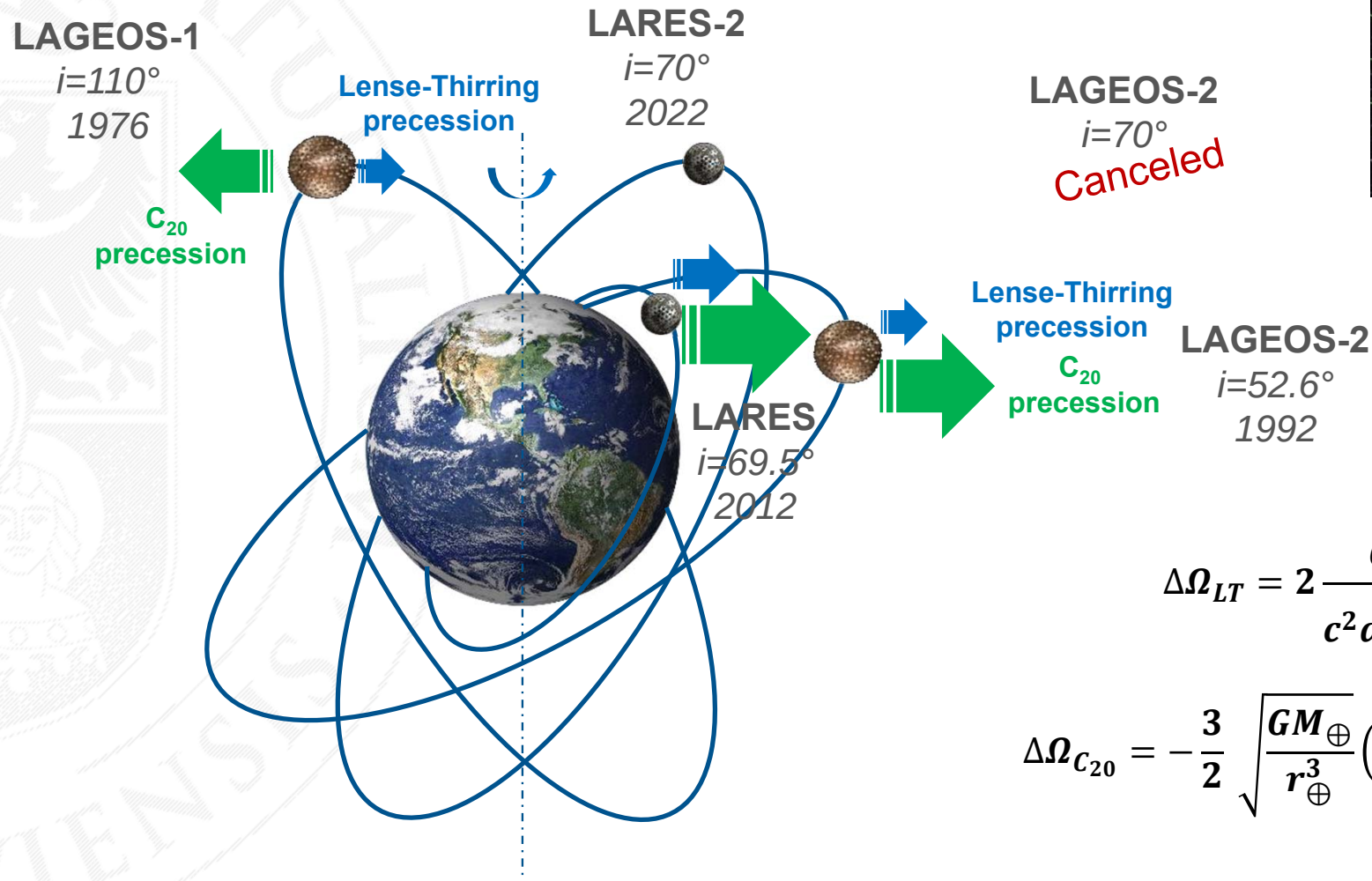


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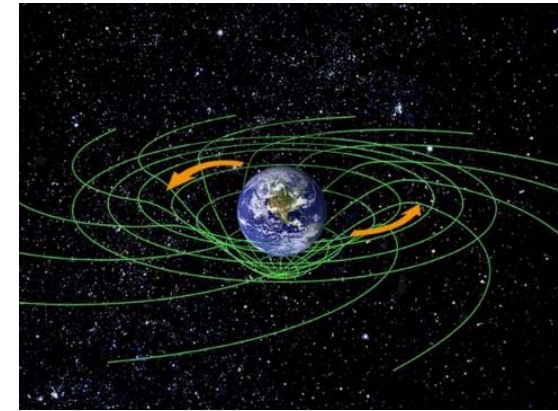
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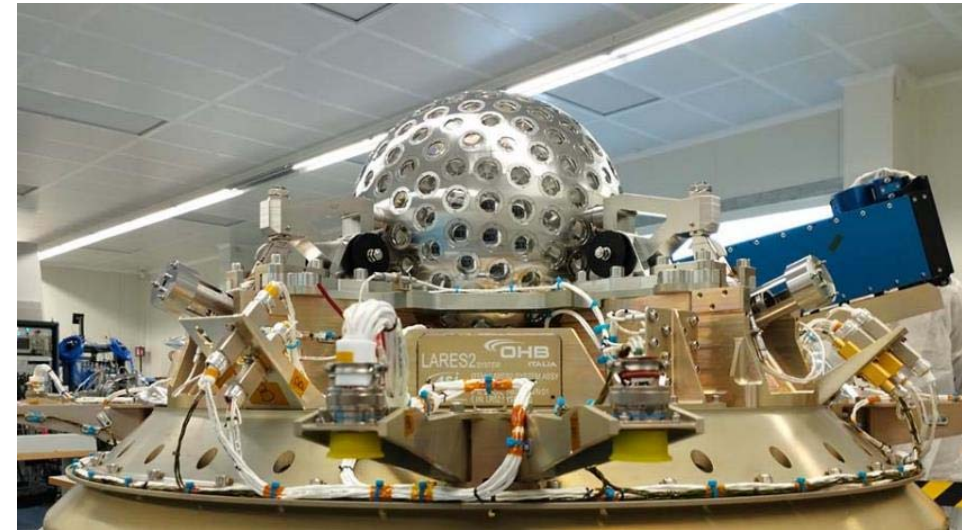


Lense-Thirring

LARES-2 – basic parameters

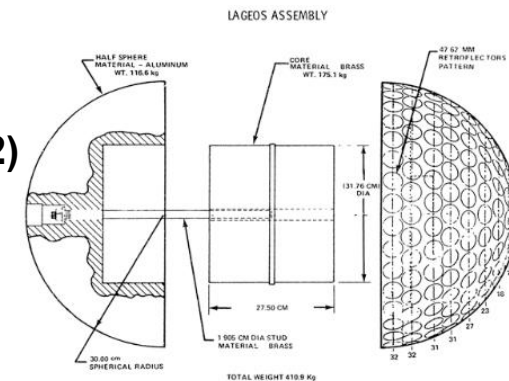
	LAGEOS-1	LAGEOS-2	LARES-1	LARES-2
Launch date	1976	1992	2013	2022
Sponsor	NASA	NASA/ASI	ASI/ESA	ASI/ESA
ILRS number	L51	L52	L60	L67
Material (alloy)	brass/ aluminum	brass/ aluminum	tungsten	nickel
Altitude (km)	5860	5620	1440	5880
Inclination (°)	109.9	52.6	69.6	70.1
Eccentricity	0.0039	0.0137	0.0008	0.0002
Mass (kg)	407	405	386.8	297.5
Area-to-mass ratio (e-4 m ² /kg)	6.9	7.0	2.7	4.7
Center-of-mass (approx.) (mm)	251	251	133	137.1
Radius (mm)	300	300	182	212
Corner cubes	426	426	92	303
SRP coefficient C_R	1.13	1.13	1.08	1.08
Draconitic year	560	222	133	270

Processing period:
July 2022 – January 2024



LARES-2, courtesy of ASI

- The area-to-mass ratio for LARES-2 is smaller by 32% compared to LAGEOS-1/2 – implying smaller non-gravitational orbit perturbations.
- Solid sphere with no inner structure (as opposed to LAGEOS-1/2)
- Center-of-mass corrections well defined with small spread between different detectors

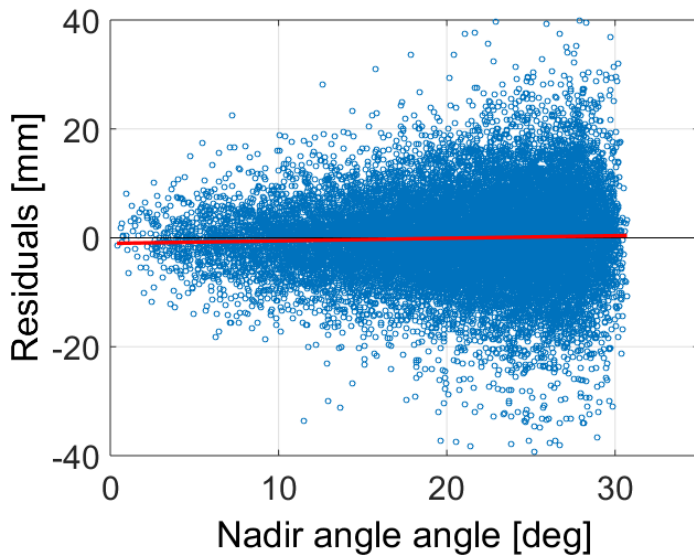


LAGEOS assembly, courtesy of NASA

Observation residuals

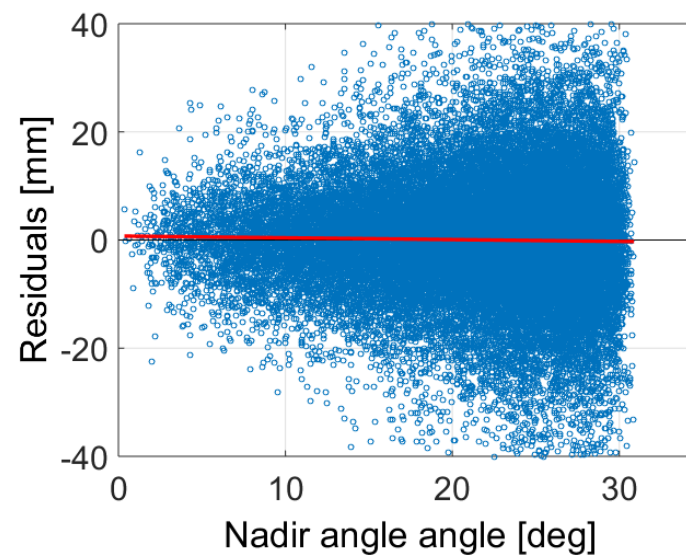
mean $\pm$ STD

LARES-2



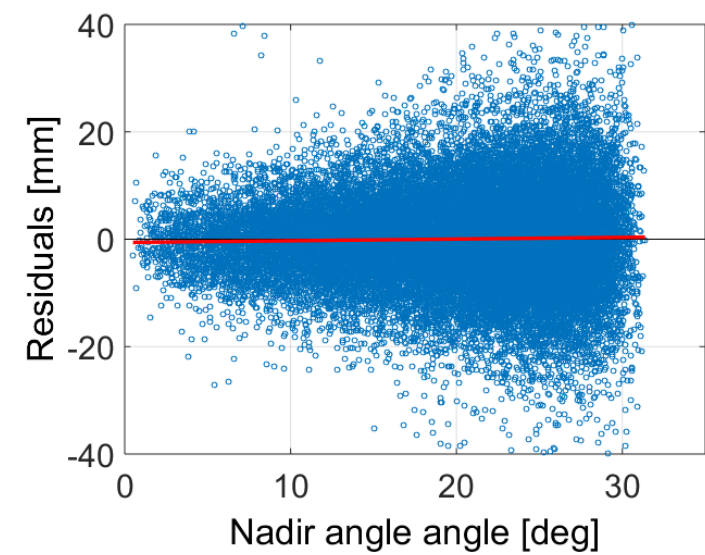
-0.03 $\pm$ 8.04 mm

LAGEOS-1



0.02 $\pm$ 10.89 mm

LAGEOS-2



0.03 $\pm$ 8.73 mm

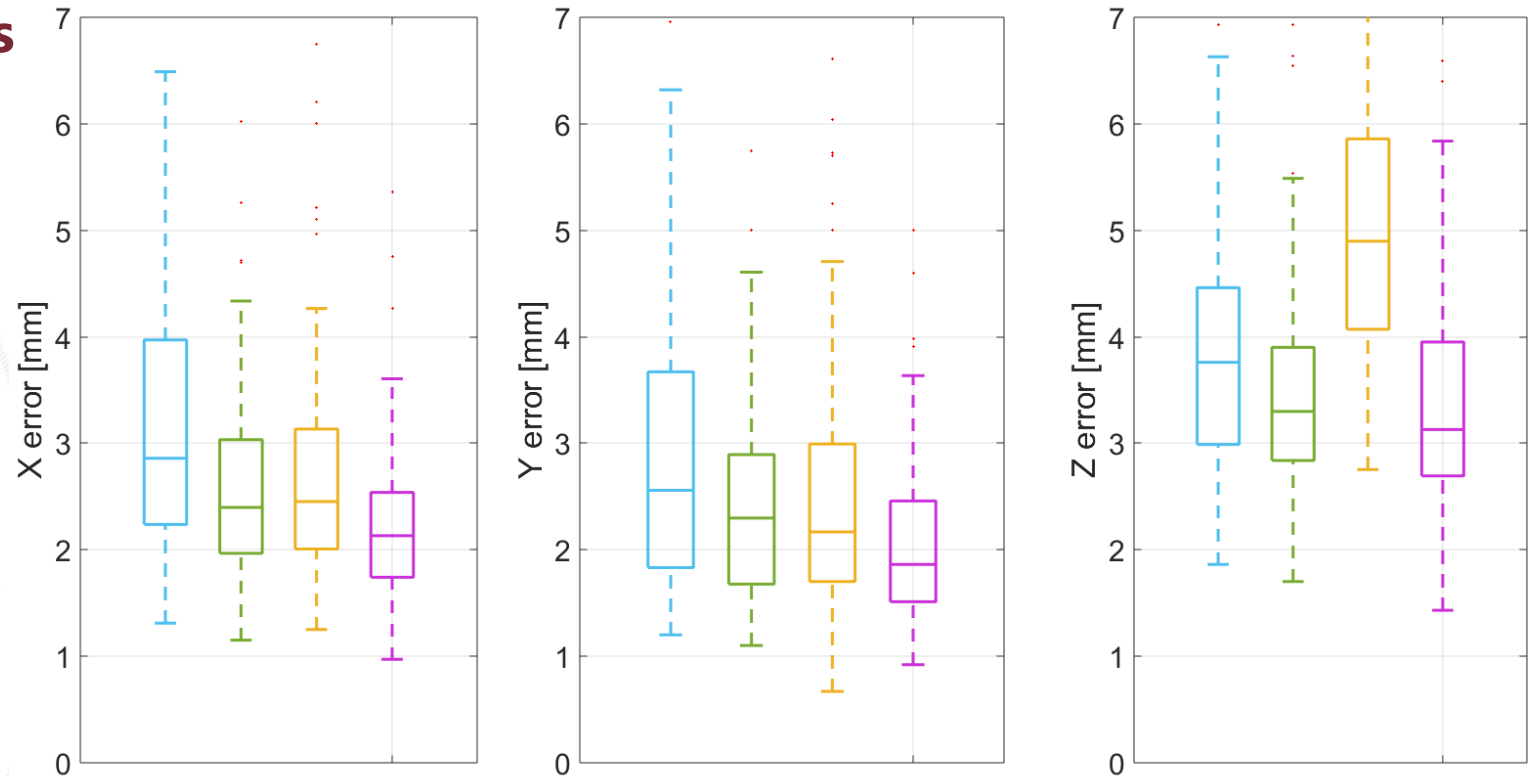
The spread of SLR residuals for LARES-2 is about 26% smaller than that for LAGEOS-1 (smaller area-to-mass ratio, better orbits, smaller spread of center-of-mass corrections).

Geocenter coordinates - formal errors

Once-per-revolution (OPR) empirical orbit parameters in along-track S_C/S_S **reduce the formal errors for the X and Y components, but increase for the Z component** (due to correlations).

LARES-2 does not require estimation of OPR when gravity field is estimated (due to small sensitivity to thermal effects).

LARES-2 reduces the formal errors of the Z geocenter component by up to 59%.



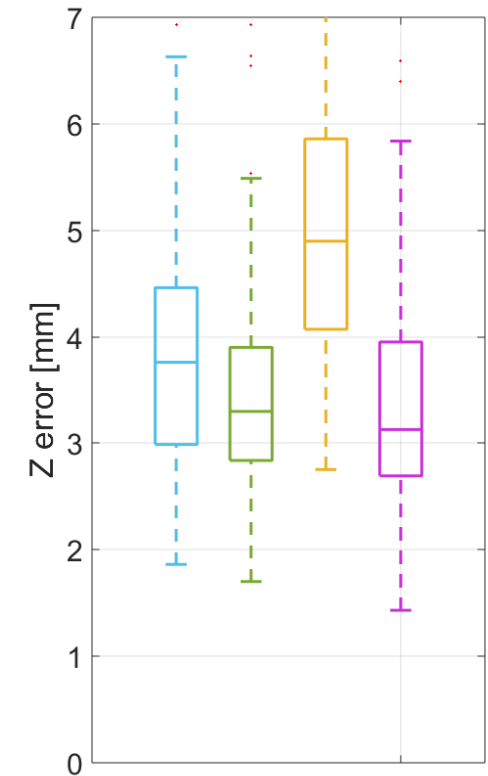
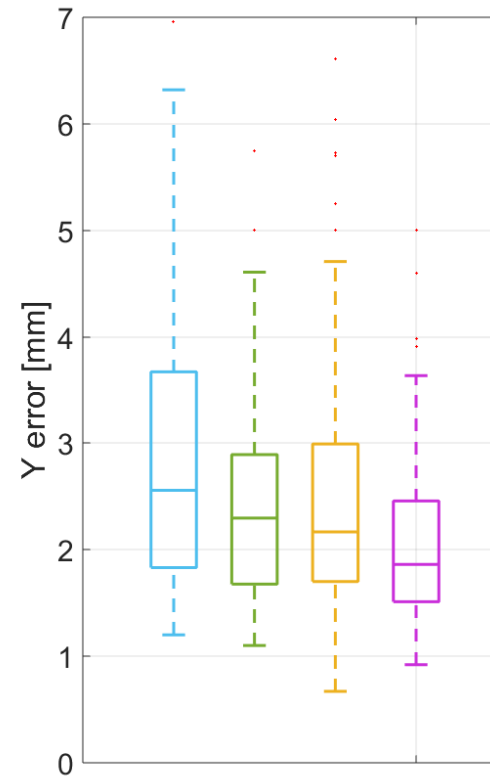
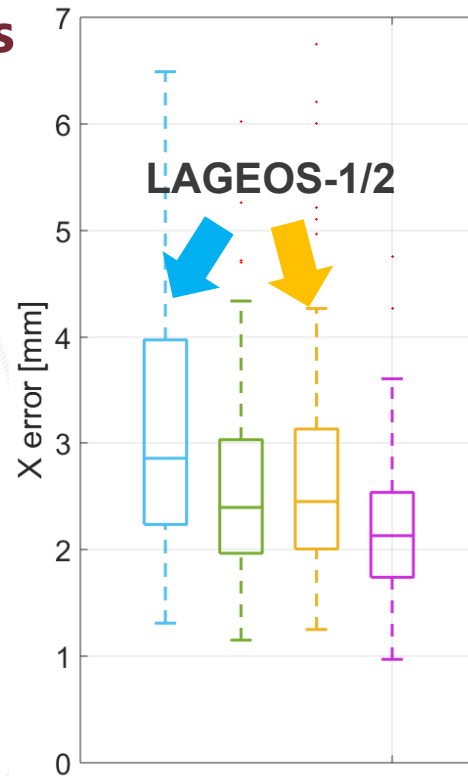
Solution	LAGEOS-1	LAGEOS-2	LARES-2	Gravity field
LAG grav 3x3 no OPR	S_0, D_0	S_0, D_0	n/a	d/o 3x3
LAG+LAR grav 3x3 no OPR	S_0, D_0	S_0, D_0	S_0, D_0	d/o 3x3
LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

Geocenter coordinates - formal errors

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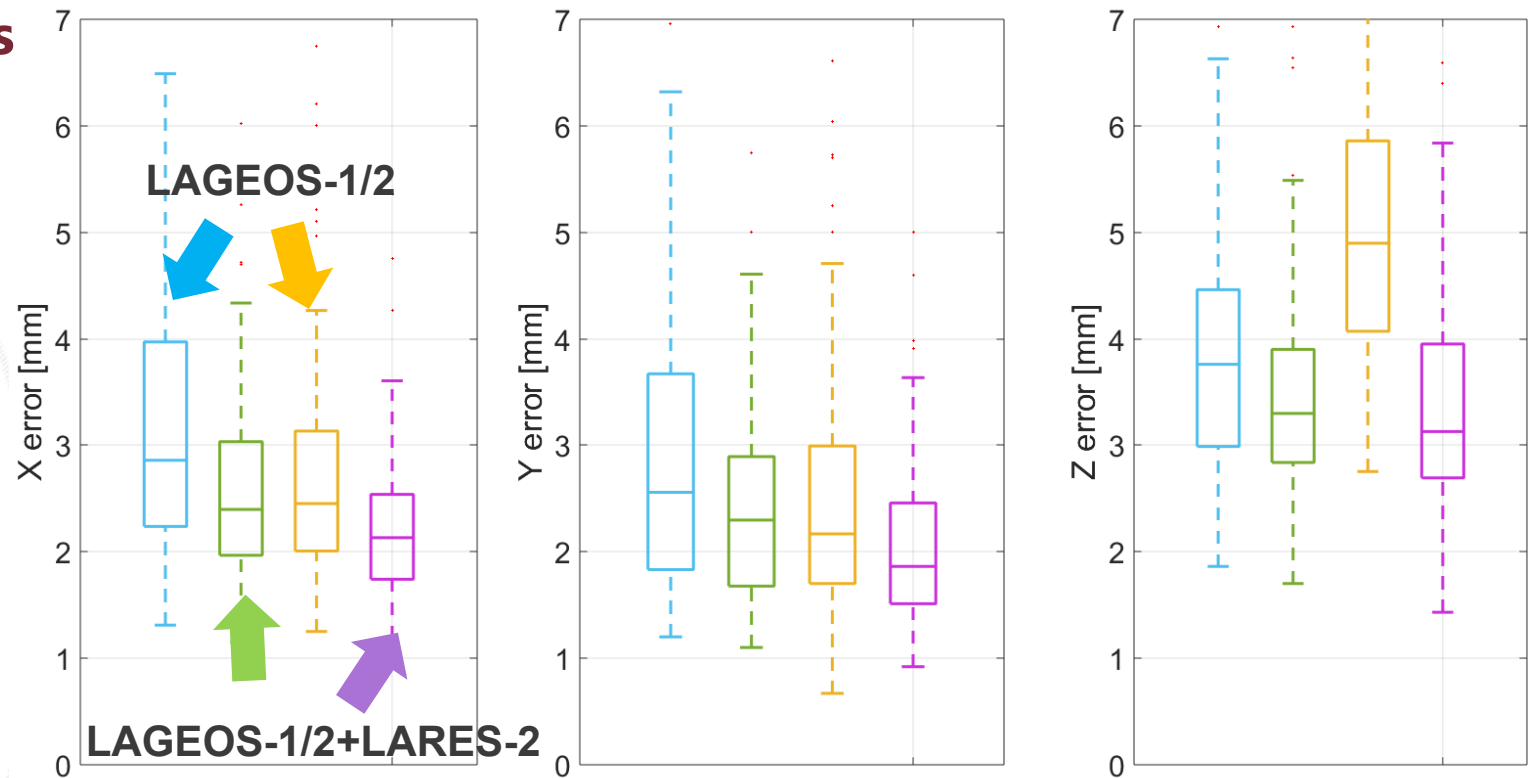
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LAG+LAR grav 3x3 no OPR	S_0, D_0	S_0, D_0	S_0, D_0	d/o 3x3
LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

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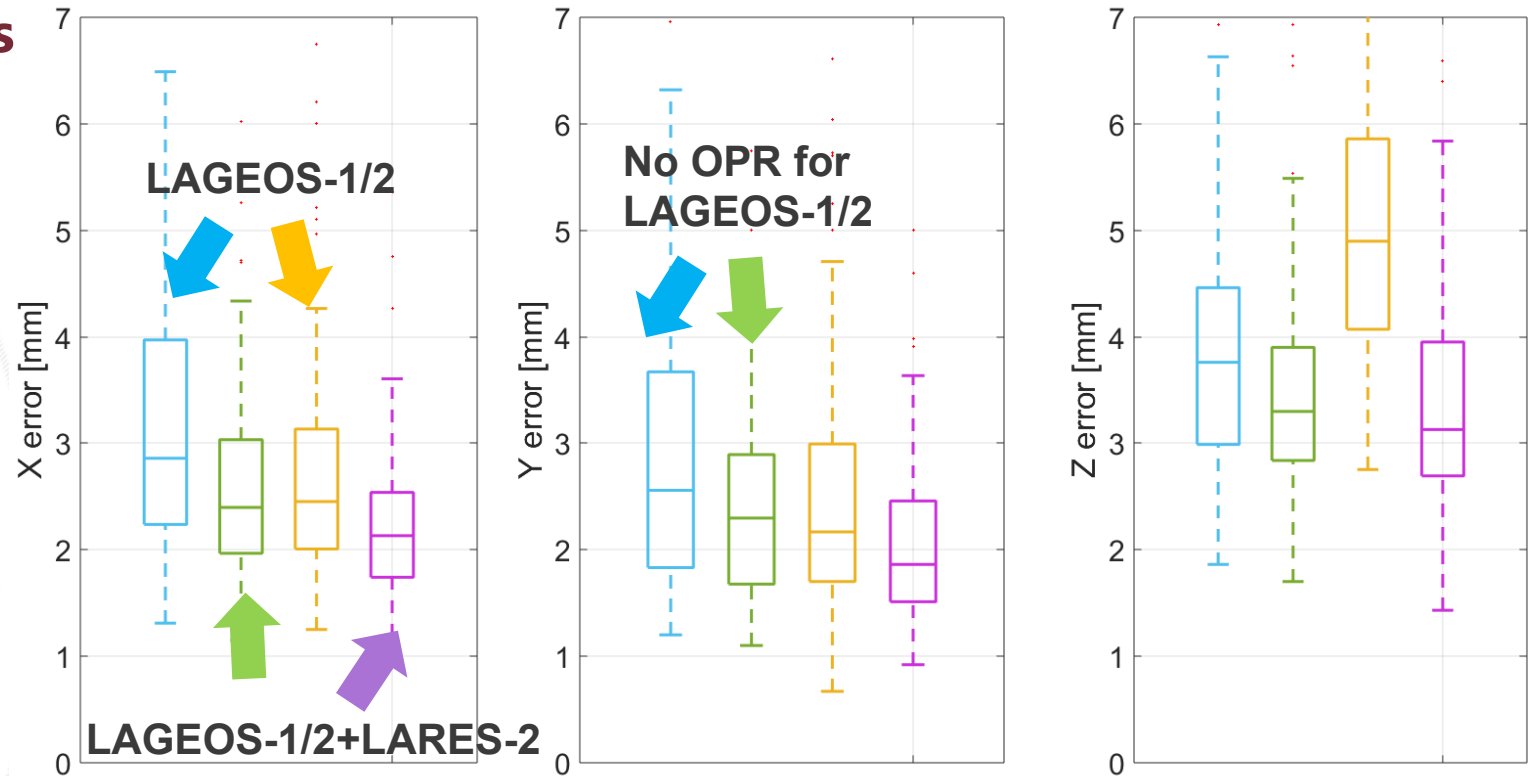
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LAG+LAR grav 3x3 no OPR	S_0, D_0	S_0, D_0	S_0, D_0	d/o 3x3
LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

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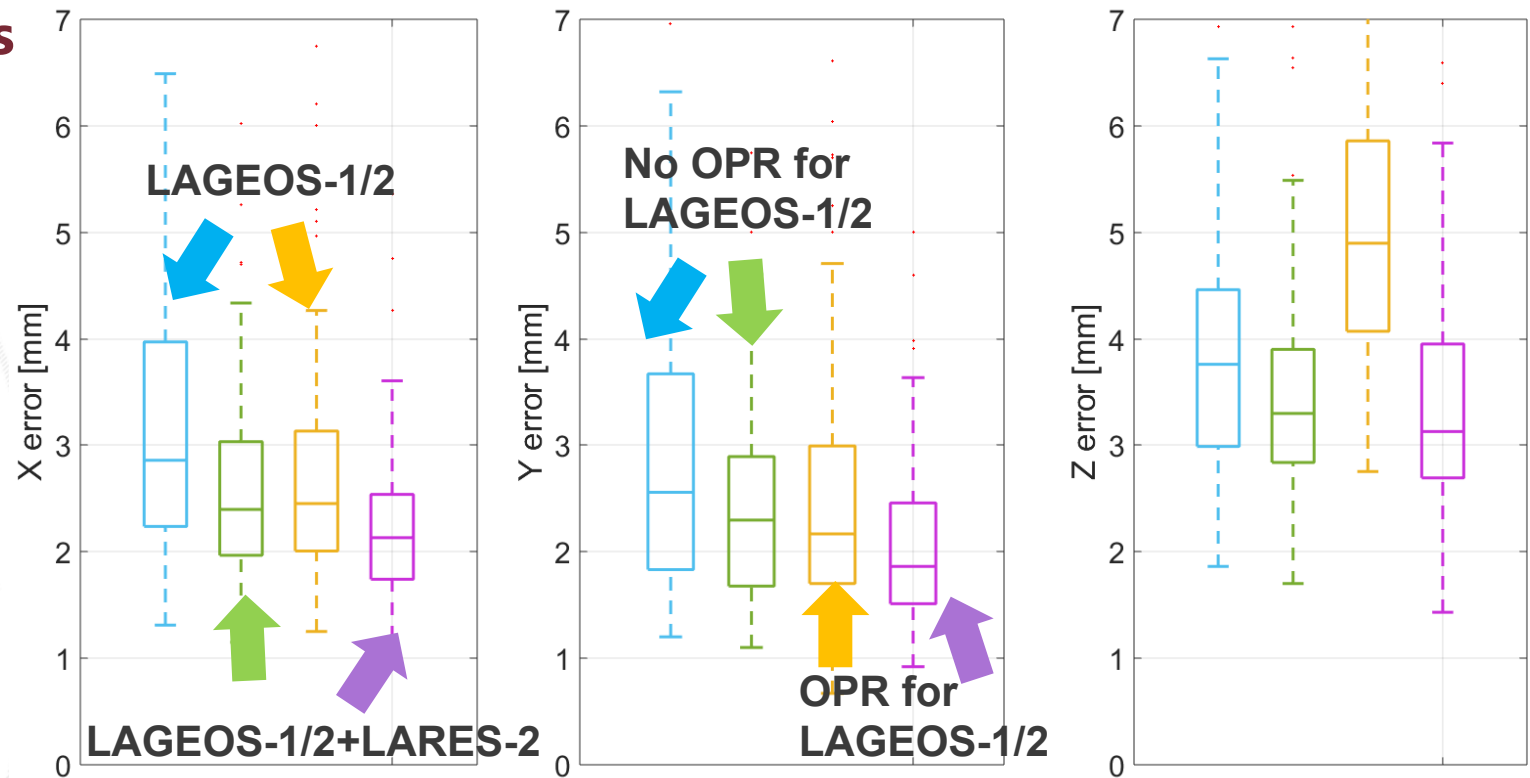
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LAG+LAR grav 3x3 no OPR	S_0, D_0	S_0, D_0	S_0, D_0	d/o 3x3
LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

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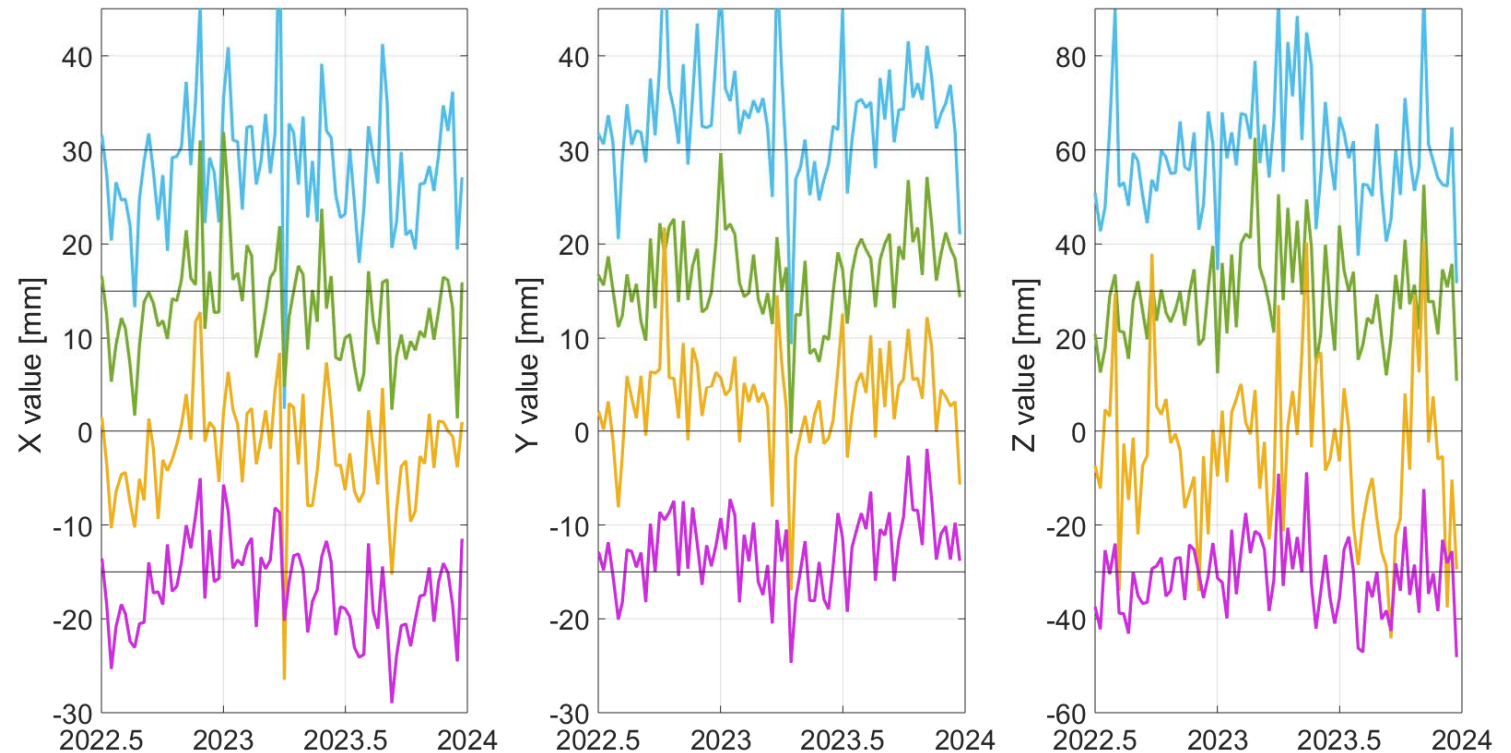
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LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

Geocenter coordinates - estimates

The most stable solution is **no. 4** with **LARES-2** and **OPR** estimated for LAGEOS-1/2.

The least stable Z geocenter is derived from **no. 3** with the estimation OPR for LAGEOS-1/2.

Minor LARES-2 impact is observed for solutions without OPR for LAGEOS (**no. 1** and **2**).



Solution	LAGEOS-1	LAGEOS-2	LARES-2	Gravity field
LAG grav 3x3 no OPR	S_0, D_0	S_0, D_0	n/a	d/o 3x3
LAG+LAR grav 3x3 no OPR	S_0, D_0	S_0, D_0	S_0, D_0	d/o 3x3
LAG grav 3x3 + OPR	S_0, S_C, S_S	S_0, S_C, S_S	n/a	d/o 3x3
LAG+LAR grav 3x3 + OPR for LAG	S_0, S_C, S_S	S_0, S_C, S_S	S_0	d/o 3x3

Gravity field – C_{20}

C_{20} Median errors are:

6.75 6.26 9.82 5.93 ($\cdot 10^{-12}$).

LARES-2 reduces the C_{20} formal errors by up to 40% and reduces the spread for the solution with OPR estimated for LAGEOS.

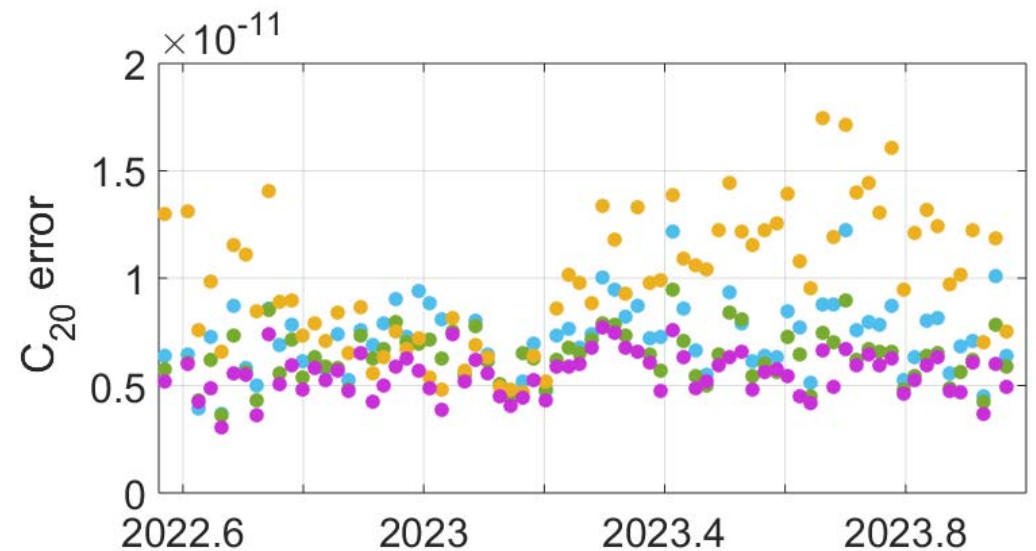
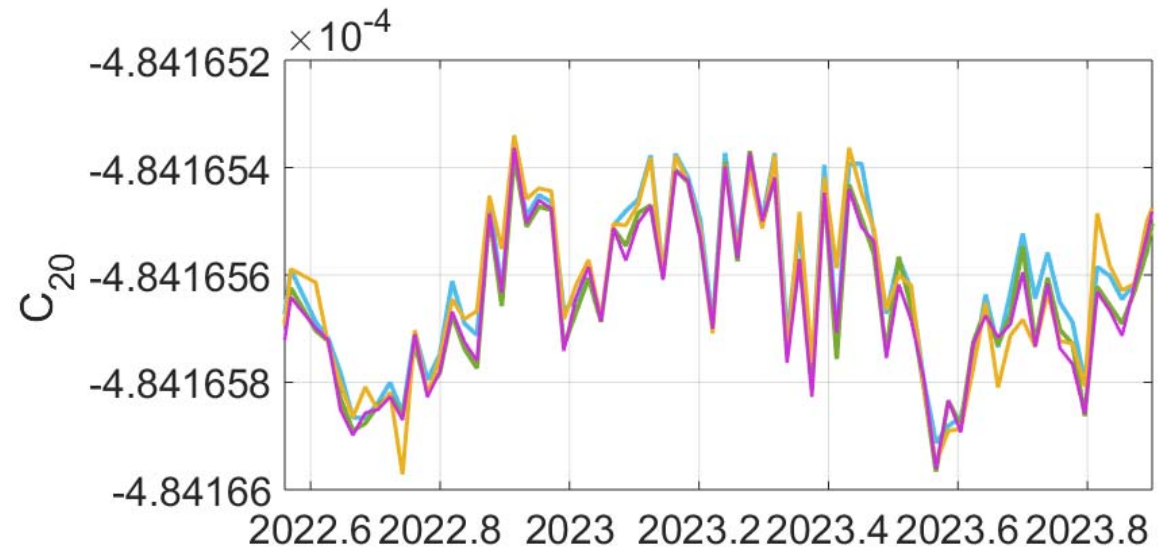
C_{20} estimates are quite consistent in all solutions.

LAG grav 3x3 no OPR

LAG+LAR grav 3x3 no OPR

LAG grav 3x3 + OPR

LAG+LAR grav 3x3 + OPR for LAG



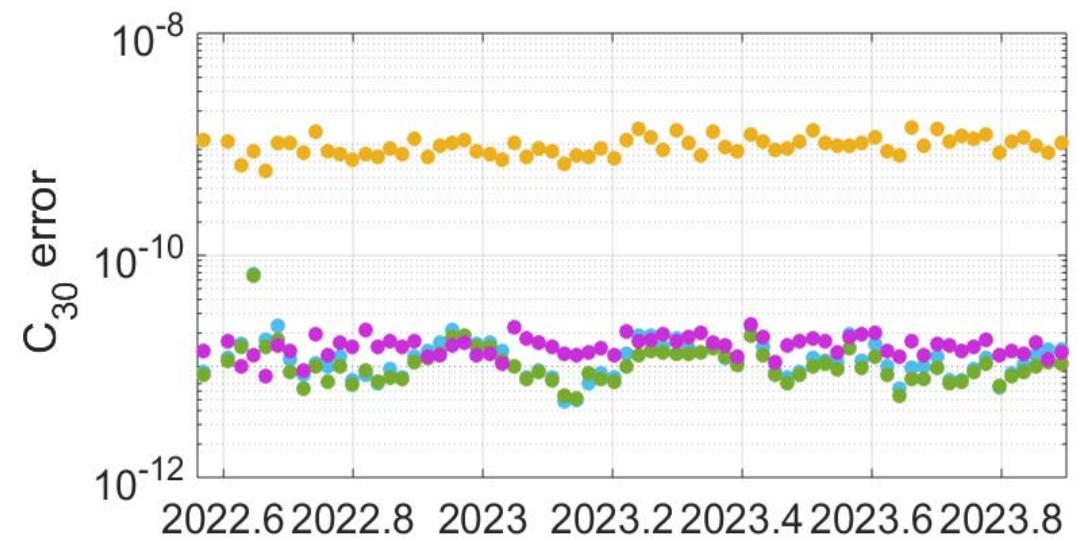
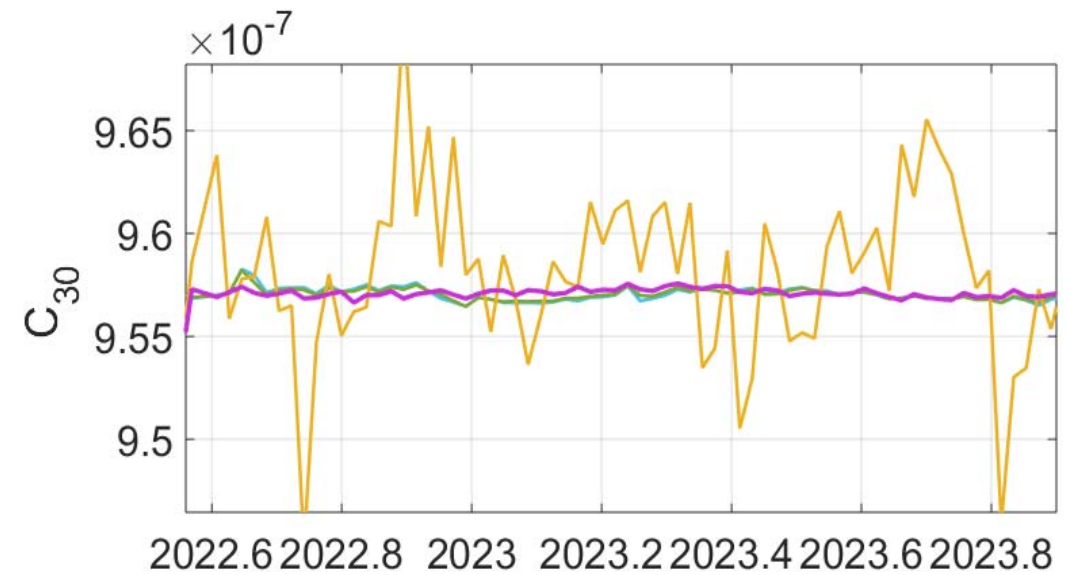
Gravity field – C_{30}

LAG grav 3x3 no OPR

LAG+LAR grav 3x3 no OPR

LAG grav 3x3 + OPR

LAG+LAR grav 3x3 + OPR for LAG



Gravity field – C_{30}

Unrealistic C_{30} signal in **no. 3** when estimating OPR for LAGEOS-1/2 (due to correlations) and not including LARES-2.

When not estimating OPR for LAGEOS in **no. 1** and **2**, the C_{30} estimated are affected by unmodeled thermal effects (Yarkovsky and Yarkovsky Schach).

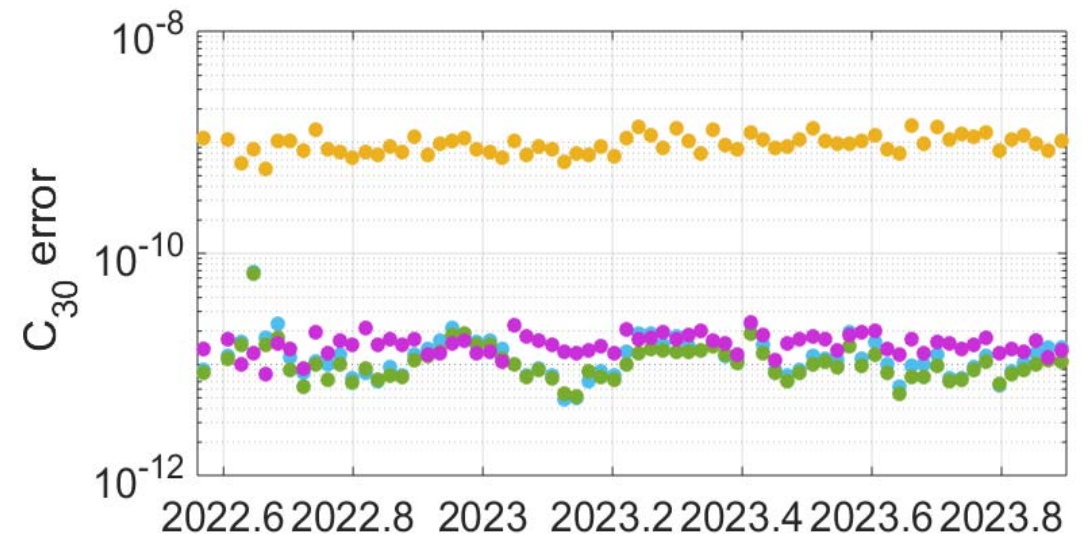
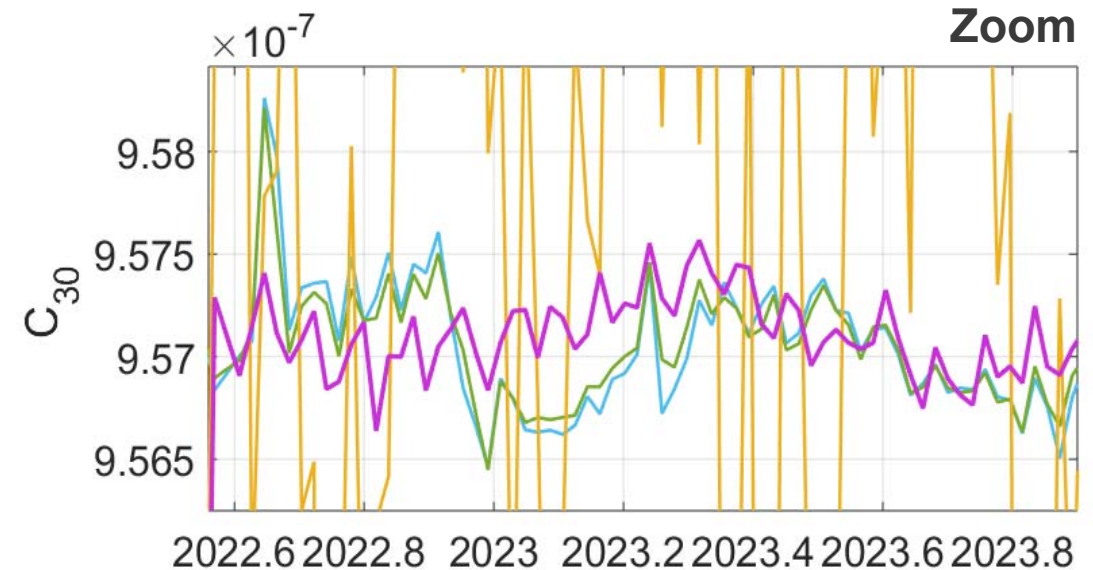
The only reasonable solution is **no. 4** with LARES-2 included and OPR for LAGEOS-1/2.

LAG grav 3x3 no OPR

LAG+LAR grav 3x3 no OPR

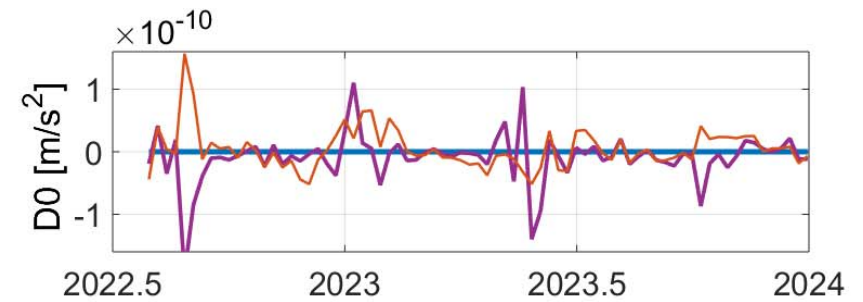
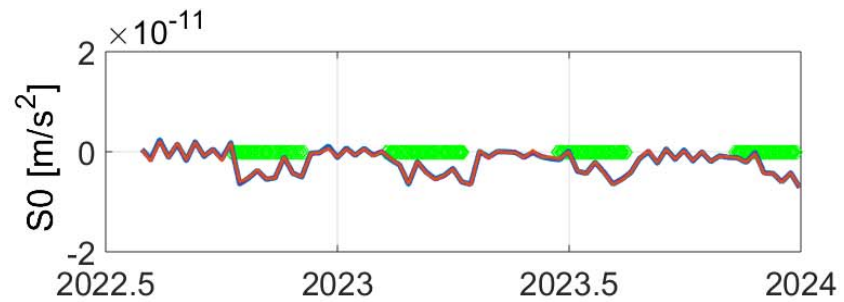
LAG grav 3x3 + OPR

LAG+LAR grav 3x3 + OPR for LAG



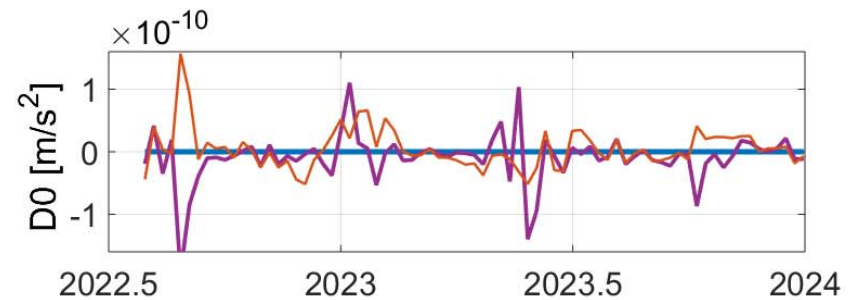
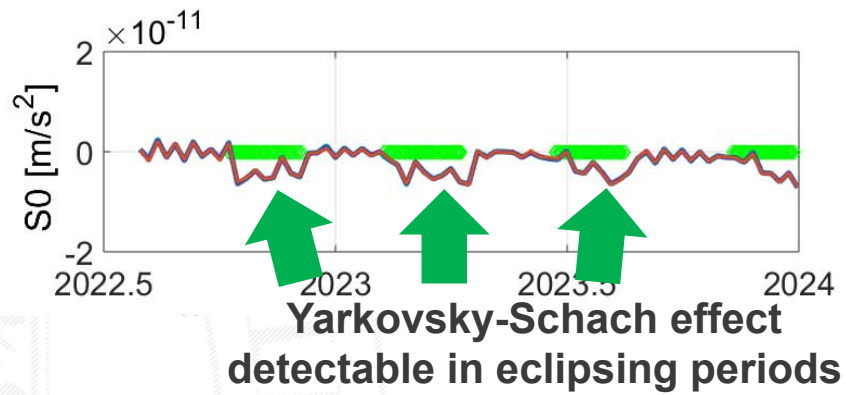
Empirical orbit parameters

LARES-2



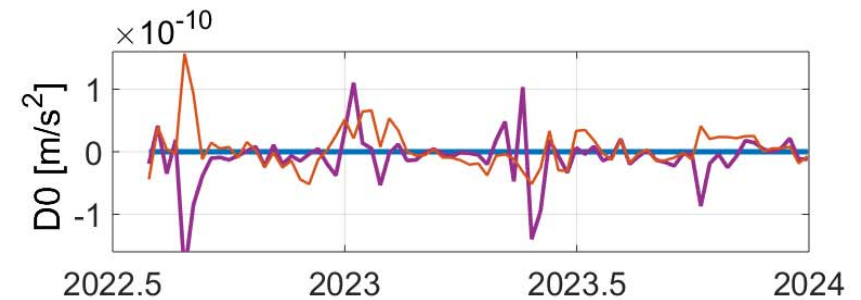
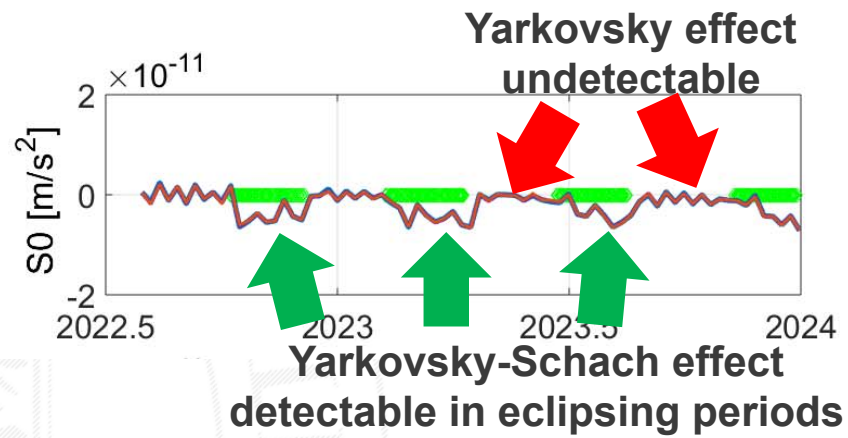
Empirical orbit parameters

LARES-2



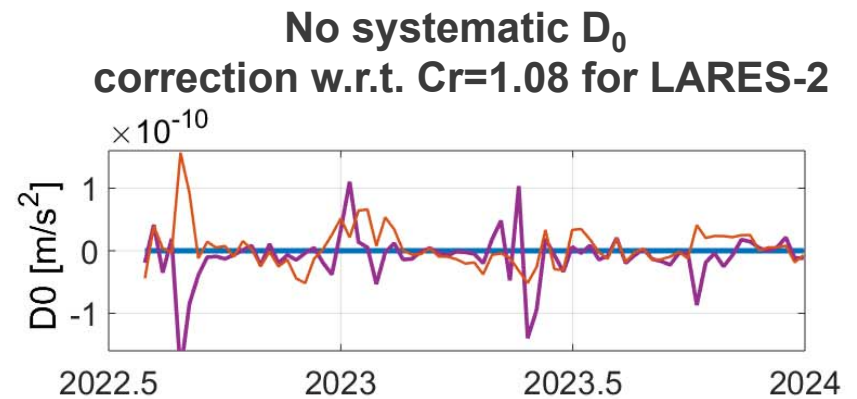
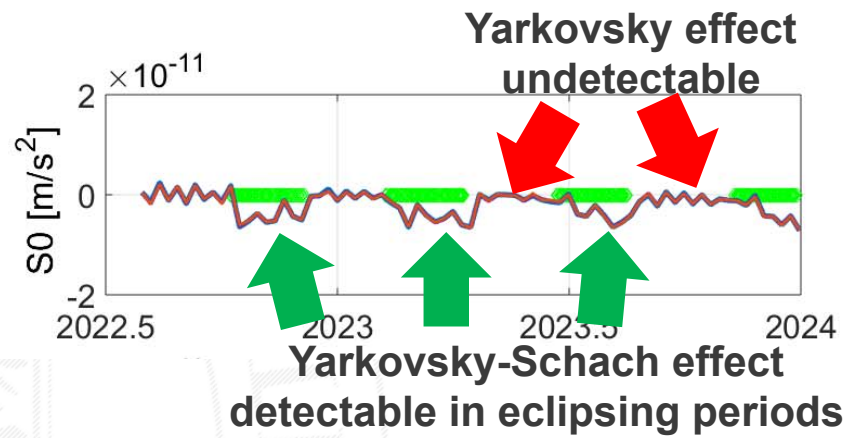
Empirical orbit parameters

LARES-2



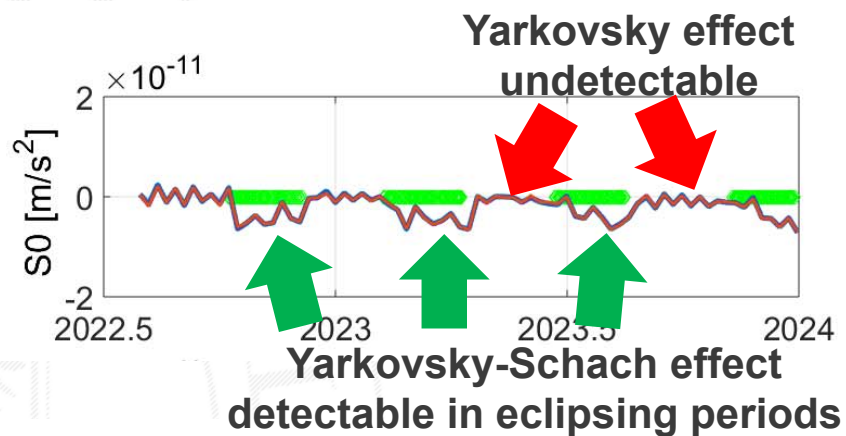
Empirical orbit parameters

LARES-2

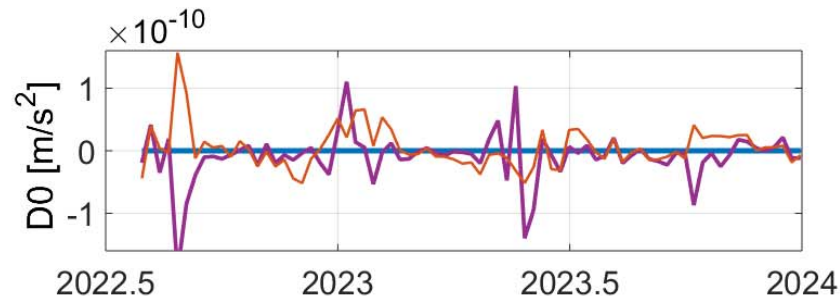


Empirical orbit parameters

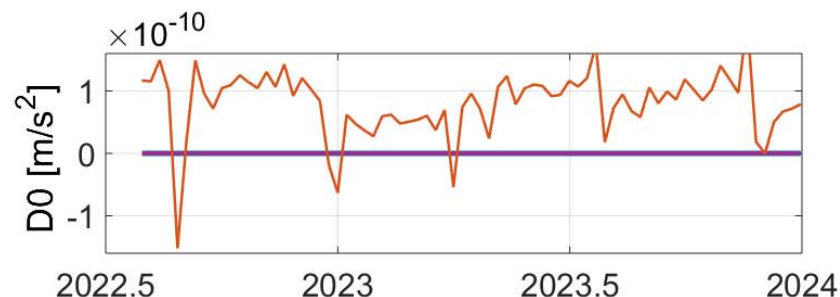
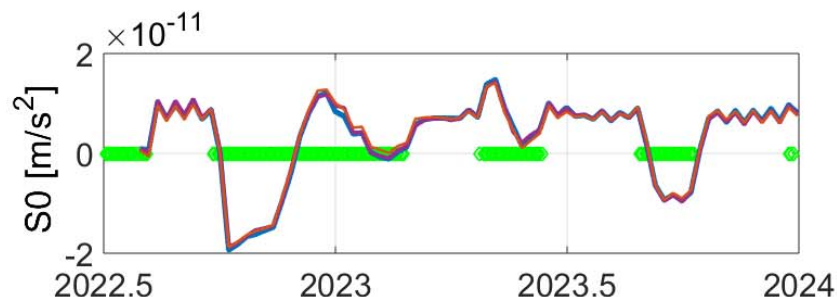
LARES-2



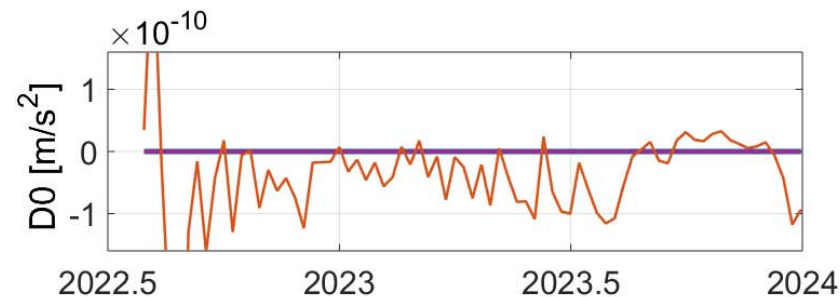
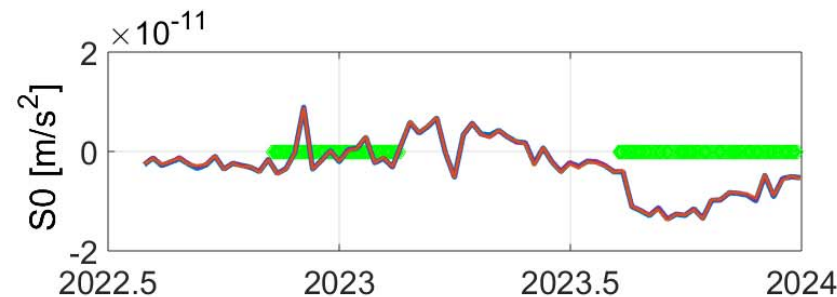
No systematic D_0 correction w.r.t. $Cr=1.08$ for LARES-2



LAGEOS-2

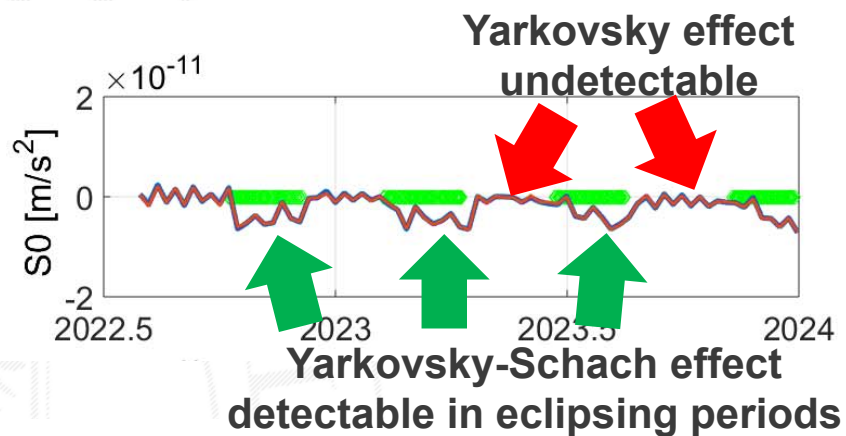


LAGEOS-1

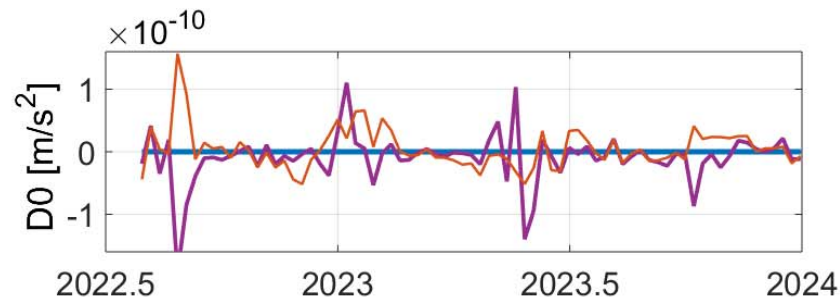


Empirical orbit parameters

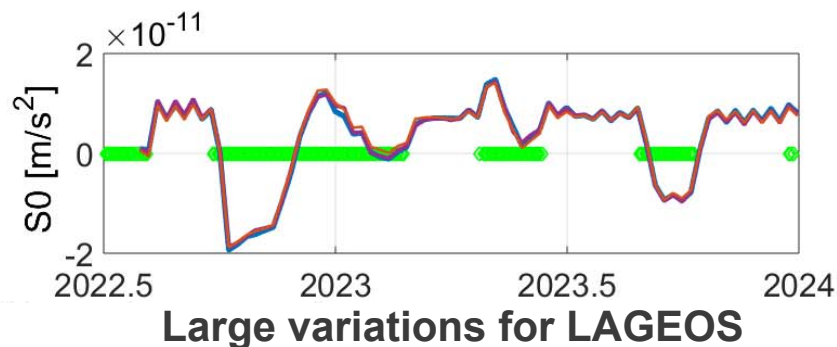
LARES-2



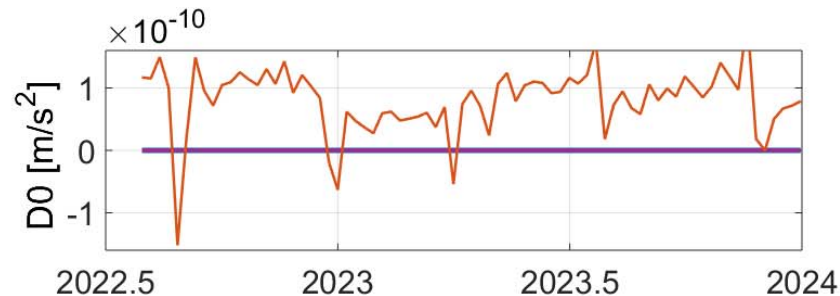
No systematic D_0 correction w.r.t. $Cr=1.08$ for LARES-2



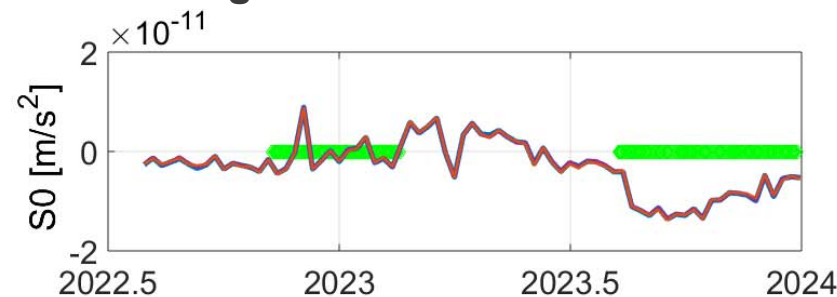
LAGEOS-2



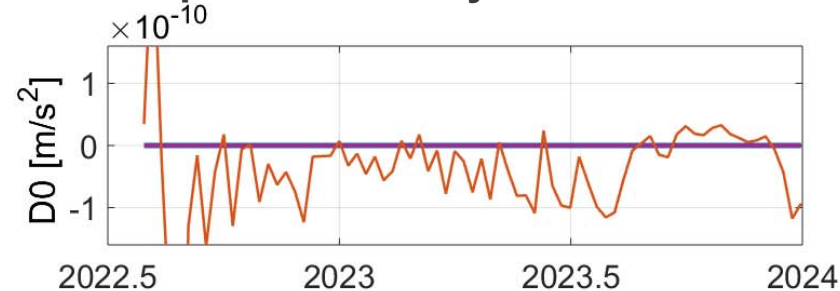
A systematic D_0 correction w.r.t. $Cr=1.13$ for LAGEOS-2



LAGEOS-1

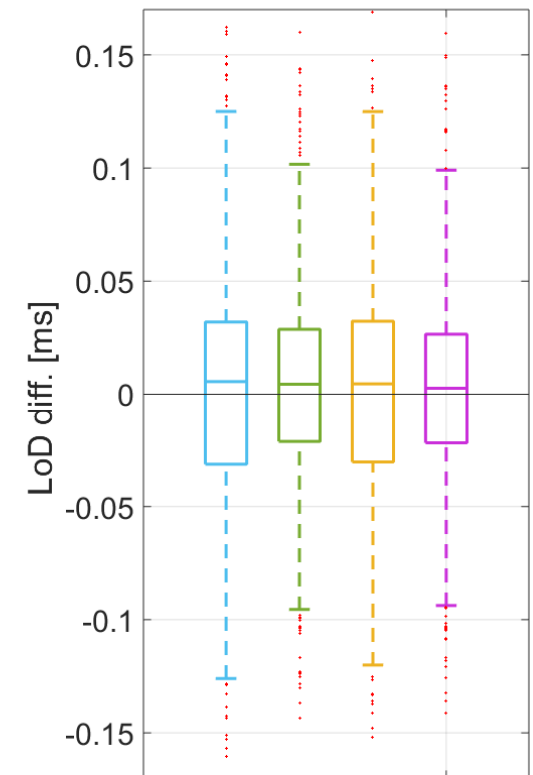
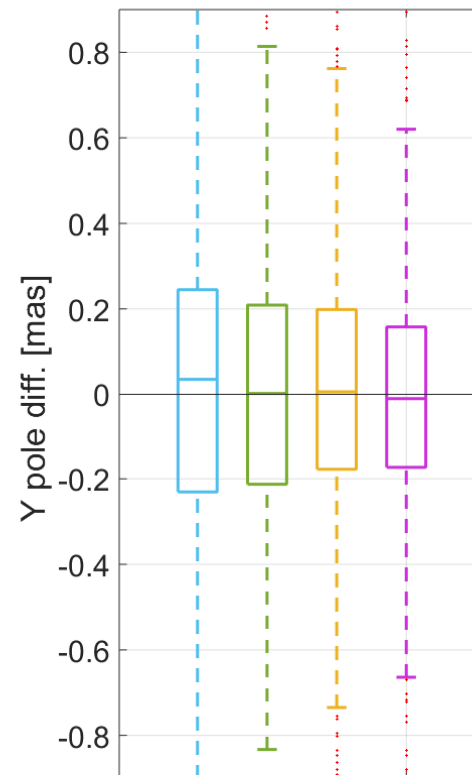
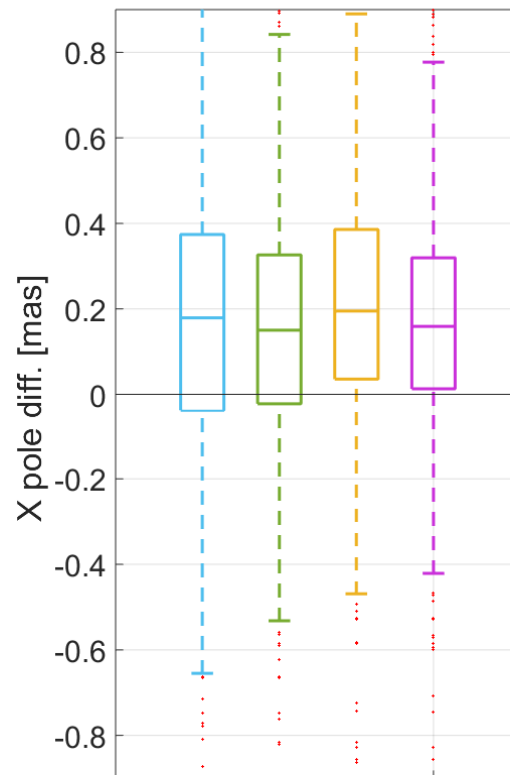


Temporal instability for LAGEOS-1

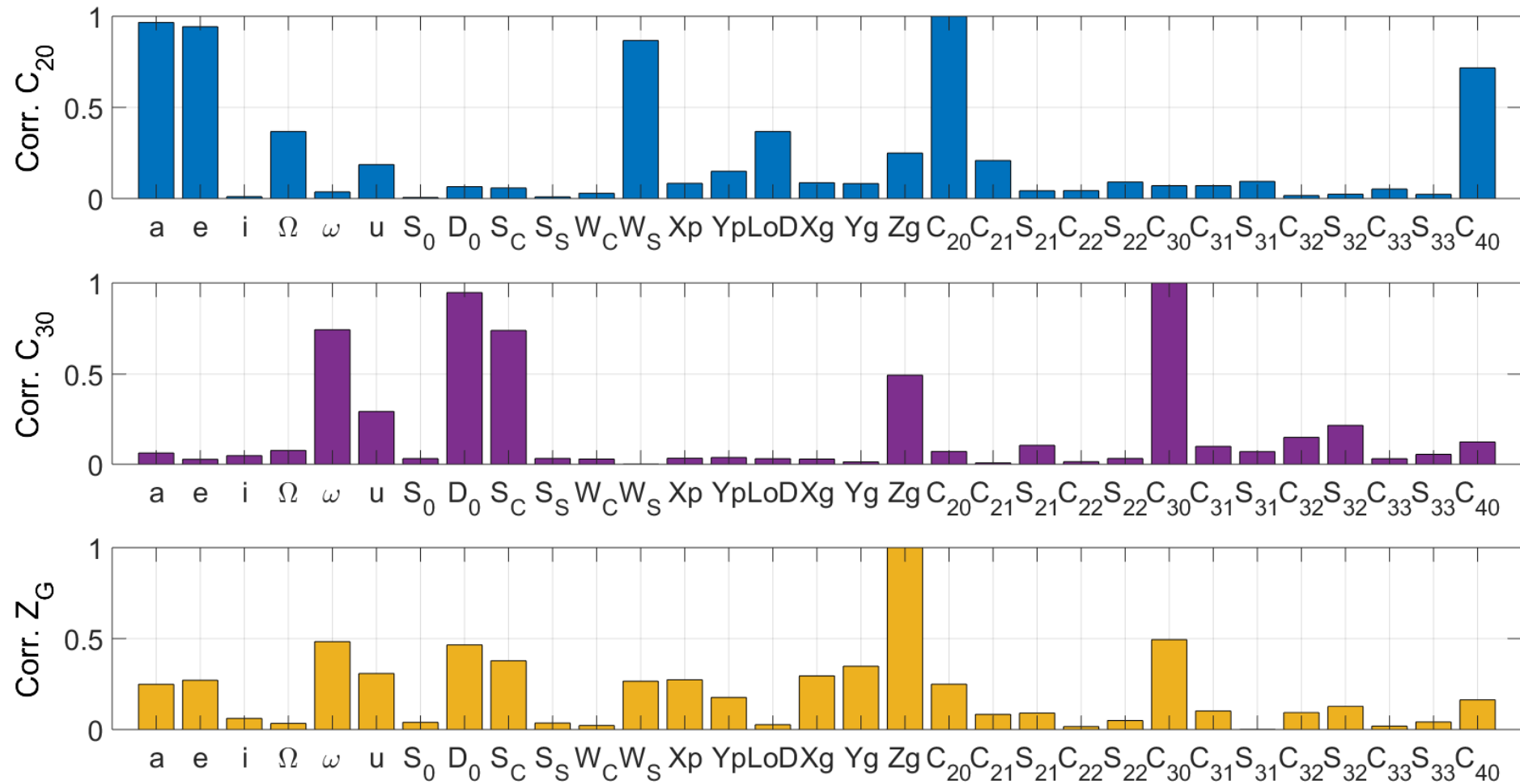


LARES-2 – Earth Rotation Parameters

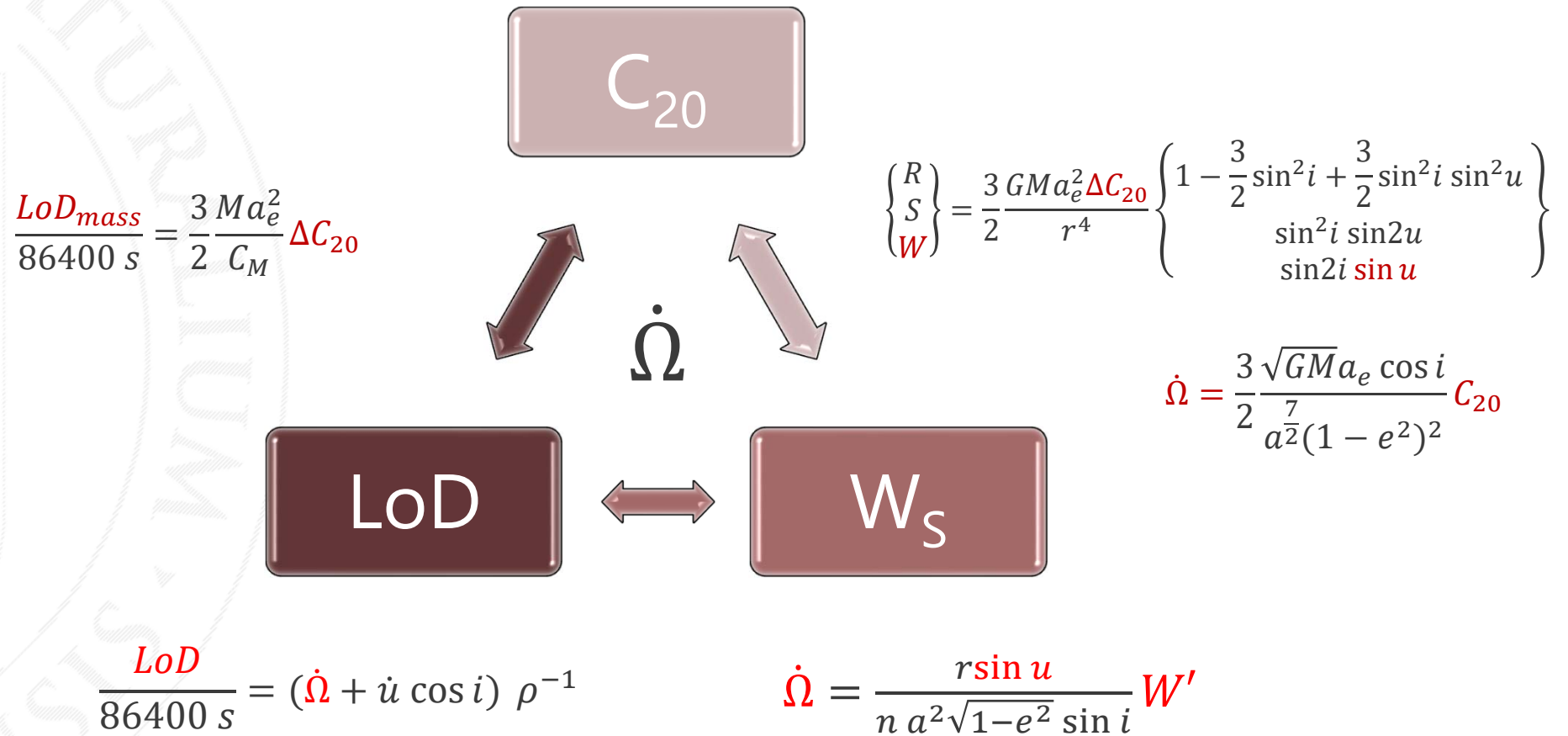
Adding LARES-2 leads to an improvement in pole coordinate estimates and LOD (a better consistency with the a priori IERS-20-C04 series).



Correlations between C_{20} , C_{30} , Z geocenter and other estimates parameters



Correlations – Triplet I



Correlations – Triplet II

$$V = \frac{GM}{r} \left(1 + \frac{a_e}{r} P_{10}(\cos \theta) C_{10} + \left(\frac{a_e}{r} \right)^2 P_{20}(\cos \theta) C_{20} + \left(\frac{a_e}{r} \right)^3 P_{30}(\cos \theta) C_{30} + \dots \right)$$

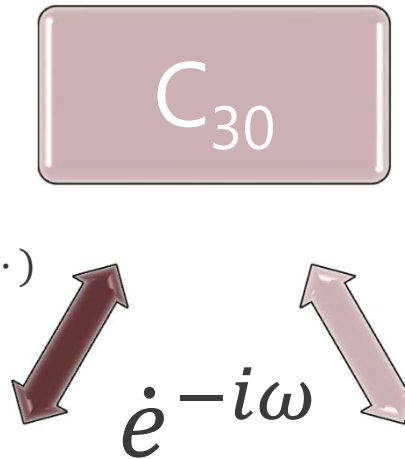
$$P_{10}(\cos \theta) = \cos \theta$$

$$P_{20}(\cos \theta) = \frac{1}{2} (3 \cos^2 \theta - 1)$$

$$P_{30}(\cos \theta) = \frac{1}{2} (5 \cos^3 \theta - 3 \cos \theta)$$

$$P_{40}(\cos \theta) = \frac{1}{8} (35 \cos^4 \theta - 30 \cos^2 \theta + 3)$$

	P_{10}	P_{20}	P_{30}	P_{40}
P_{10}	1	0.002	0.516	0.003
P_{20}	-	1	0.003	0.498
P_{30}	-	-	1	0.004



$$\begin{pmatrix} R \\ S \\ W \end{pmatrix} = D_0 \begin{pmatrix} \cos \beta \cos \Delta u \\ \cos \beta \sin \Delta u \\ \sin \beta \end{pmatrix}$$

$$\sin \Delta u = \sin u \cos u_S - \cos u \sin u_S$$

$$\begin{pmatrix} R \\ S \\ W \end{pmatrix} = \frac{5}{2} \frac{GM a_e \Delta C_{30}}{r^5} \begin{pmatrix} \frac{12}{5} \sin i \sin u - 4 \sin^3 i \sin^3 u \\ \left(3 \sin^3 i \sin^2 u - \frac{3}{5} \sin i \right) \cos u \\ 3 \sin^2 i \sin^2 u \cos i - \frac{3}{5} \cos i \end{pmatrix}$$

Empirical orbit parameters OPR in along-track do not allow for C_{30} determination. However, they are needed for LAGEOS-1/2 to absorb Yarkowsky/-Schach effects.

LARES-2 has a different construction (no inner core) and does not have this problem.

$$\begin{pmatrix} R \\ S \\ W \end{pmatrix} = \frac{\sqrt{3}}{3} \frac{GM}{r^3} Z_G \begin{pmatrix} -2 \sin i \sin u \\ \sin i \cos u \\ \cos i \end{pmatrix}$$

$$C_{10} = \sqrt{3} a_e Z_G$$

Summary

LARES-2 orbit is **more stable than LAGEOS-1/2** due to a different satellite construction (**solid sphere**, no inner structure)

LARES-2 shows no need for the estimation of D_0 , which is very good news, because it **improves the Z geocenter** component estimation and C_{30} .
LARES-2 improves Z geocenter by up to 59%.

The only empirical parameter that is needed for LARES-2 is S_0 to compensate for the Yarkovsky-Schach effect (whereas the Yarkovsky effect is undetectable)

The best option for the combined LAGEOS+LARES-2 solution is:
grav. field up to 3x3, S_0 , S_C , S_S for LAG-1/2 and S_0 for LARES-2

When empirical orbit parameters OPR in S are not estimated for LAGEOS-1/2, the non-gravitational perturbations affect C_{30} and Z geocenter. However, LARES-2 does not have this problem.



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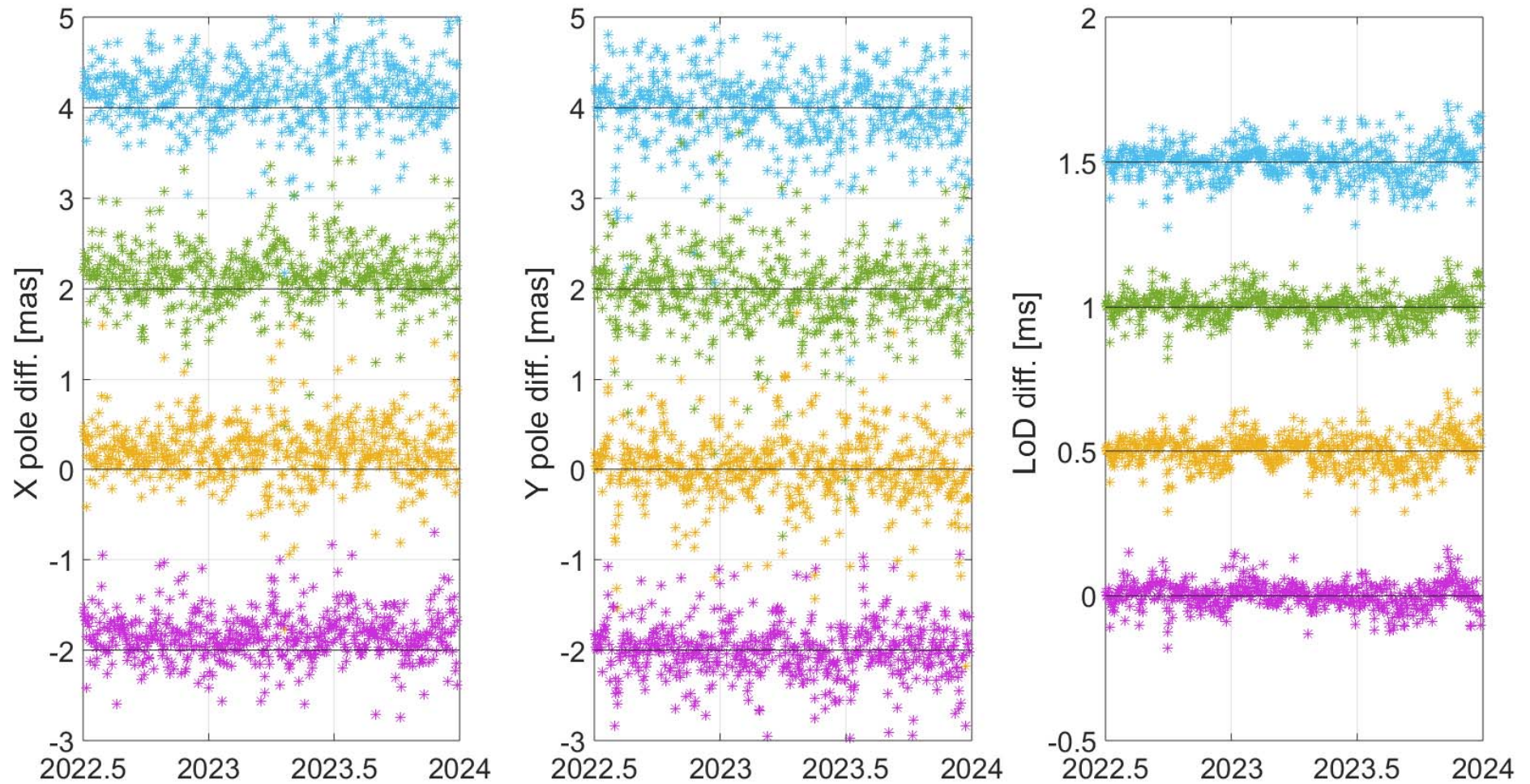
**Thank you for
your attention!**

Krzysztof Sońnica

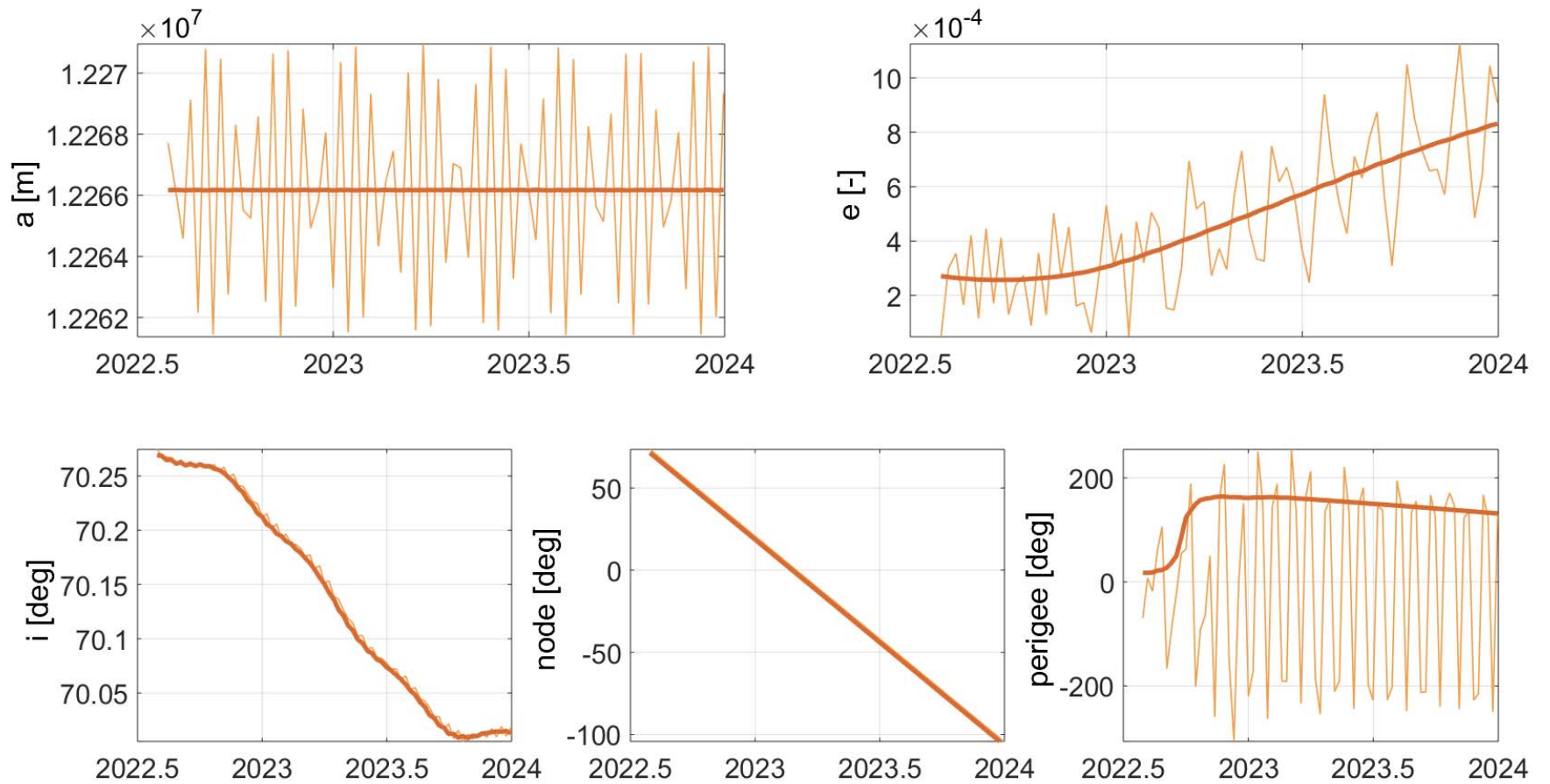
Institute of Geodesy and Geoinformatics, UPWr

krzysztof.sosnica@upwr.edu.pl

LARES-2 – ERPs w.r.t. IERS-C04-20



LARES-2



LARES-2 mean and osculating orbital (Keplerian) elements